

# **Triple Generative Adversarial Nets**

Chongxuan Li, Kun Xu, Jun Zhu and Bo Zhang Department of Computer Science and Technology, Tsinghua University {licx14, xu-k16}@mails.tsinghua.edu.cn



## **Background and Motivation**

### Generative Adversarial Nets(GANs)

Given samples from p(x),to learn  $p_g(x) \approx p(x)$ . D(x) outputs a binary unit.

$$X \sim p(X) \longrightarrow \mathsf{D} \longrightarrow \mathsf{A}$$
$$\mathsf{D} \longrightarrow \mathsf{A}/\mathsf{R}$$

- G and C will benefit each other.
- With cross entropy losses on labeled data and generated data, the unique optimum is  $p(x,y) = p_g(x,y) = p_c(x,y)$ .

### **Experiments**

### Classification

State-of-the art classification results on MNIST, SVHN and CIFAR10.

#### Generation

Under nonparametric assumptions, the global optimum is  $p_g(x) = p(x)$ .

#### Semi-Supervsised GANs

Given partially labeled data from p(x, y), to learn  $p_c(y|x)$  and  $p_g(x)$ . D(x) outputs  $|\mathcal{Y}|$  or  $|\mathcal{Y}| + 1$  dimensional units.



No game-theoretical analysis as in original GANs.

### **Problems of Two-Player Formulation**

• An extreme case, where G is good but C is poor [1]

#### Good C results in good G



(a) Improved-GAN (FM)

(b) Triple-GAN

#### Conditional Generation



- G converges, i.e.  $p_g(x) = p(x)$
- $D_G^*$  rejects  $x \sim p_g(x)$  with probability  $\frac{1}{2}$
- $C^*$  should accept it and classify it as certain class confidently
- Then C and G won't be both optimal because of sharing parameters between D and C
- Cannot control what to generate
  - The classifier predicts accurately while the generator cannot leverage such information

**Triple-GAN** 

### Rethink the Problem

- A dual perspective: p(x,y) = p(y)p(x|y) = p(x)p(y|x)
- Marginal distributions are known
- Conditional distributions are of interests

### Three-Player Game

- Given partially labeled data, learn  $p_c(\boldsymbol{y}|\boldsymbol{x})$  and  $p_g(\boldsymbol{x}|\boldsymbol{y})$ 



#### (c) Automobile

(d) Horse

Disentangle Classes and Styles



Figure 1: Same y for each row. Same z for each column.

#### Latent Space Interpolation



where D(x) outputs a binary unit to justify (x, y) pairs. A minimax game:  $\min_{C,G} \max_{D} E_p[\log D(x, y)] + \alpha E_{p_c}[\log(1 - D(x, y))] + (1 - \alpha) E_{p_g}[\log(1 - D(x, y))].$ 

Game-Theoretical Analysis and Regularizations

• The optimum is  $p(x,y) = (1 - \alpha)p_g(x,y) + \alpha p_c(x,y)$ .

References [1] Salimans T, Goodfellow I, Zaremba W, et al. Improved techniques for training gans[C]//Advances in Neural Information Processing Systems. 2016: 2234-2242.

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